

1. TORSIONAL PENDULUM- DETERMINATION OF RIGIDITY MODULUS

AIM: To determine

- i) Moment of inertia of the disc
- ii) Rigidity modulus of a wire

APPARATUS REQUIRED:

Torsional pendulum, two equal cylindrical masses, Stop clock, Screw gauge, Metre scale.

FORMULA:

Moment of inertia of the disc

$$I = \frac{2m(d_2^2 - d_1^2)T_0^2}{T_2^2 - T_1^2} \text{ kg m}^2$$

Rigidity modulus of a wire

$$n = \frac{8 \pi IL}{T_0^2 r^4} \text{ N/m}^2$$

Where

m -- Mass placed on the disc (kg)

d₁- Distance between suspension wire and the centre of mass of the cylinder(m)

d₂- Distance between suspension wire and the centre of mass of the cylinder(m)

T₀ – Time period without mass placed on the disc (sec)

T₁ – Time period when equal masses are placed at a distance d₁ (sec)

T₂ - Time period when equal masses are placed at a distance d₂ (sec)

L - Length of the suspension wire(m)

r – Radius of the wire (m)

PROCEDURE:

- One end of a long, uniform wire whose rigidity modulus is to be determined is clamped by a vertical chuck.
- To a lower end, a heavy uniform circular disc is attached by another chuck. The length of the suspension wire (L) is fixed to a particular value.
- The suspended disc is slightly twisted so that it facilitates torsional oscillations. Avoid vibration while in rotation.

- The first few oscillations are not considered. By using the pointer, the time taken for 10 complete oscillations is noted. Two trials are taken. The mean time period T_0 is found.
- Two equal masses are placed on the disc symmetrically on either side; close to the suspension wire. The closest distance d_1 is noted.
- The disc with masses at a d_1 is made to rotate torsional oscillations by twisting the disc.
- The time taken for 10 complete oscillations is noted. Two trials are taken. The mean time period T_1 is found.
- Two equal masses are moved to the extreme ends so that the edges of masses coincide with the edge of the disc. The maximum distance d_2 is noted.
- Then the disc is allowed to rotate by twisting the disc. The time taken for 10 complete oscillations is noted. Two trials are taken. The mean time period T_2 is found.
- The diameter of the wire is measured at different places along its length using screw gauge. Then the radius of wire is calculated.
- The moment of inertia of the disc and rigidity modulus of the wire are calculated.

To determine the time period of the disc:

Length of the wire (L) = ----- $\times 10^{-2}$ m

Position of the equal masses	Time for 10 oscillations			Time period(one oscillation) sec
	Trial-1 sec	Trial-2 sec	Mean sec	
Without any masses				T_0
With masses at $d_1 = 2.5 \times 10^{-2}$ m				T_1
With masses at $d_2 = 4.5 \times 10^{-2}$ m				T_2

To determine the radius of the wire

Least count = 0.01 mm. Zero error = divisions ZC= mm

S.No	PSR mm	HSC div	Observed reading=PSR+(HSCXLC) mm	Correct reading=OR+ZC mm
1				
2				
3				
4				
5				

Mean = ----- $\times 10^{-3}$ m

CALCULATION:

Moment of inertia of the disc,

$$I = \frac{2m (d_2^2 - d_1^2) T_0^2}{T_2^2 - T_1^2} \text{ kg m}^2$$

m=

d₁=

d₂=

T₀=

T₁=

T₂=

Rigidity modulus of a wire,

$$n = \frac{8 \pi IL}{T_0^2 r^4} \text{ N/m}^2$$

I =

$T_0 =$

r =

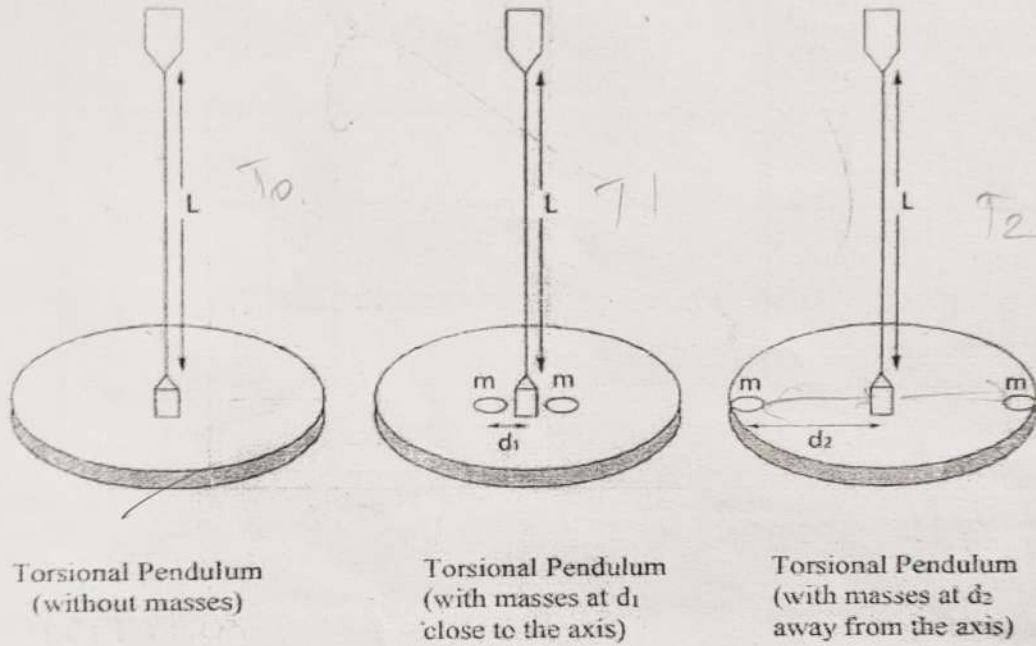


Figure 1.1 Torsional Pendulum

RESULT:

Moment of inertia of the disc, $I = \dots\dots\dots \text{kgm}^2$

Rigidity modulus of the wire, $n = \dots\dots\dots \text{N/m}^2$

Outcomes: At the end of the experiment, the students should be able

- To understand the motion of the torsion pendulum satisfies the simple harmonic
- To understand period (or angular frequency) of the simple harmonic motion of the torsion pendulum is independent of the amplitude of the motion
- To determine torsion constant and the moment of inertia of the torsion pendulum

2. YOUNG'S MODULUS – NON UNIFORM BENDING

AIM:

To determine the Young's modulus of the material of a uniform bar by non uniform bending.

APPARATUS REQUIRED:

Travelling microscope, knife edges, Slotted weight, meter scale, Vernier caliper, screw gauge, pin.

FORMULA:

Young's modulus of the material of the beam,

$$Y = \frac{Mgl^3}{4bd^3y} \quad \text{Newton/metre}^2$$

Where

M – Load applied (kg)

y - Mean depression for a load (m)

g – Acceleration due to gravity (m/s^2)

l – Distance between two knife edges (m).

b – Breadth of the beam (m)

d – Thickness of the beam (m).

PROCEDURE:

- The experimental bar belongs to elastic material for loading and unloading it by slotted weights.
- The weight hanger is taken as the dead weight (W).
- The bar is placed on the knife edges at a distance of l.
- A pin is fixed at the middle of the scale.
- The dead weight suspended from the mid point, the microscope is adjusted such that the horizontal cross wire coincides with the image of the tip of the pin.
- The reading of the vertical scale is taken.
- The experiment is repeated by adding weights (Loading) for W+50, W+100 up to W+250.
- Every time the microscope is adjusted and the vertical scale reading (MSR and VSC) is taken.
- Then the load is decreased by 50gms and the readings are taken.
- From the readings, the mean depression of the mid-point for a given load and m/y can be found.
- The bar is removed and its mean breadth b is measured using vernier caliper and its mean thickness d using screw gauge

To determine depression (y):

L.C = 0.001 cm

M = 50×10^{-3} kg.

S.No	Load $\times 10^{-3}$ kg	Microscope reading						Mean cm	Depressi on y for m kg cm
		Loading			Unloading				
		MSR cm	VSC div	TR cm	MSR Cm	VSC div	TR cm		
1	W								
2	W+50								
3	W+100								
4	W+150								
5	W+200								
6	W+250								

Mean(y) = $\times 10^{-2}$ m

To determine breadth of the beam (b):

Least count = 0.01 cm.

Zero Error = ---- divisions

Zero Correction

=

S.No	MSR cm	VSC div	Observed reading = MSR+(VSCXLC) cm	Correct reading = OR+ZC cm
1				
2				
3				
4				
5				

Mean = $\times 10^{-2}$ m

To determine the thickness of the beam (d)

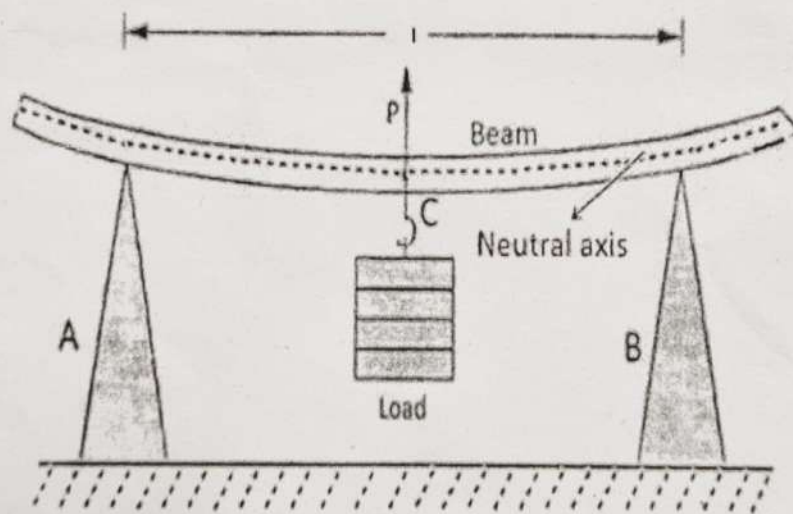
Least count = 0.01 mm.

ZE = divisions

ZC =

S.No	PSR mm	HSC div	Observed reading = SR+(HSCXLC) mm	Correct reading = OR+ZC mm
1				
2				
3				
4				
5				

Mean = *10⁻³m



A, B – Knife edges

C – Midpoint

P – Pin

l – Distance between the two knife edges

Fig 2 Young's Modulus – Non Uniform Bending

CALCULATION:

- M - Load applied (kg) =
y - Mean depression for a load (m) =
g - Acceleration due to gravity (m/s^2) =
l - Distance between two knife edges =
b - Breadth of the beam (m) =
d - Thickness of the beam (m) =

Young's modulus of the material of the beam,

$$Y = \frac{Mgl^3}{4bd^3y} \quad \text{Newton/metre}^2$$

RESULT:

Young's modulus of the given bar (metre scale) = N/m^2

Outcomes: At the end of the experiment, the students would be able

- To understand the elastic behavior of the given wooden beam by pin and microscope experimental method and to find its Young's modulus